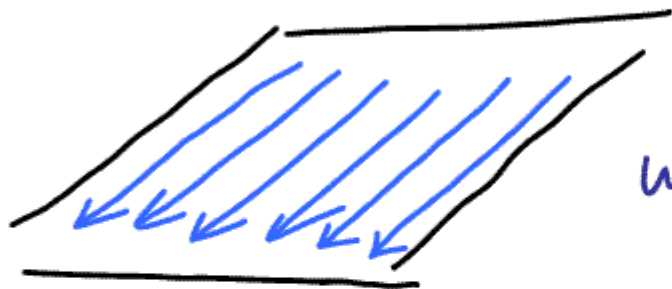


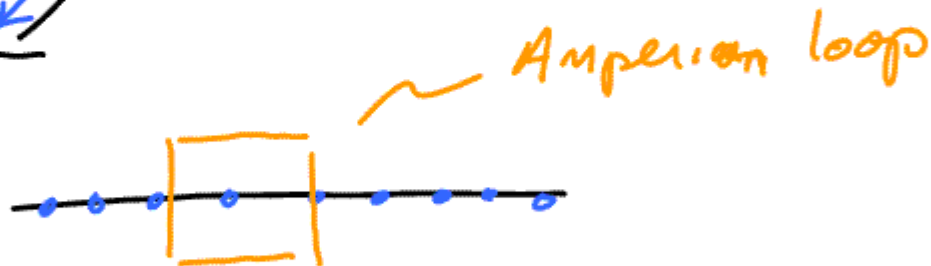
Physics 114 - March 28, 2006

project info on web

Last Time:



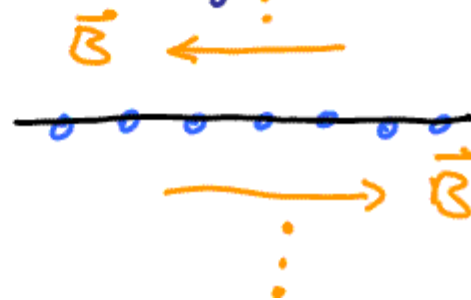
∞ current sheet
with linear
uniform current density j



use Ampere's Law + Symmetry to get

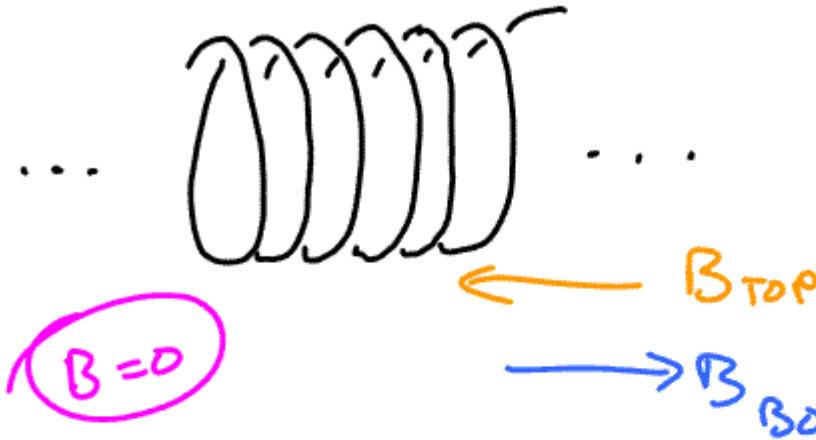
$$|B| = \frac{\mu_0 j}{2}$$

\vec{B} uniform + ∞



Infinite Solenoid

\vec{B} field



$B=0$

..... Current out

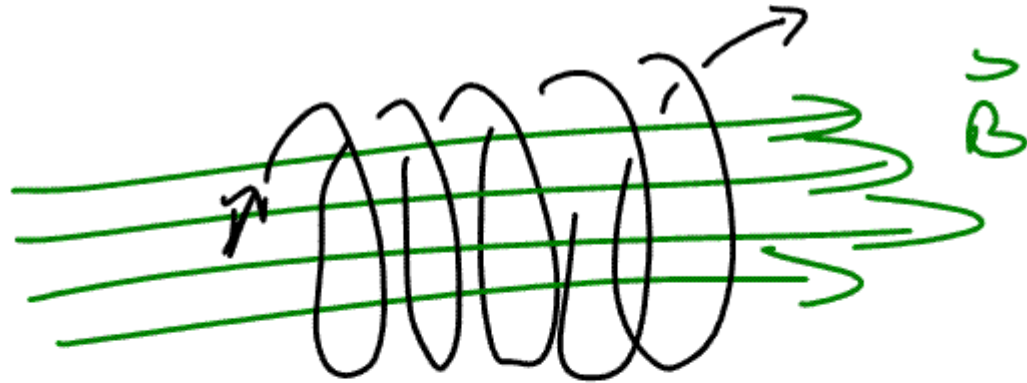


xxxxxxx Current in

$B=0$



$n \equiv \text{Turns/length}$



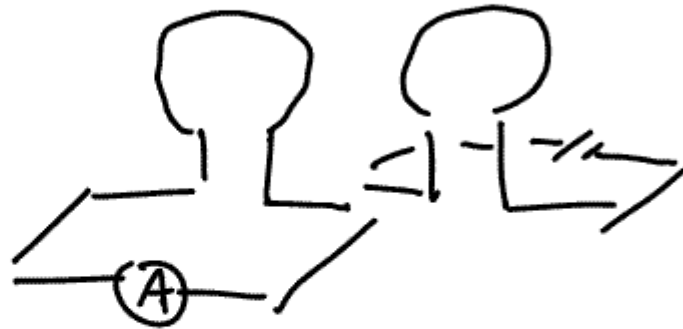
Seduce vs. Induce

Magnetic Induction

1830's

Michael Faraday

Joseph Henry



Induction: A changing magnetic field induces an EMF (a changing electric field)

No changing fields
Magnetostatics

Kirchoff

$$\sum V \Big|_{\text{closed loop}} = 0$$

$$E \sim -\frac{dv}{dx}$$

$$E \cdot dl \sim v$$

$$\oint \vec{E} \cdot d\vec{l} = 0$$

Kirchoff
in free
space

changing fields

$$\mathcal{E} = \oint \vec{E} \cdot d\vec{l} = -\frac{d\Phi_M}{dt}$$

$$\Phi_M = \int_{\text{surf}} \vec{B} \cdot d\vec{A}$$

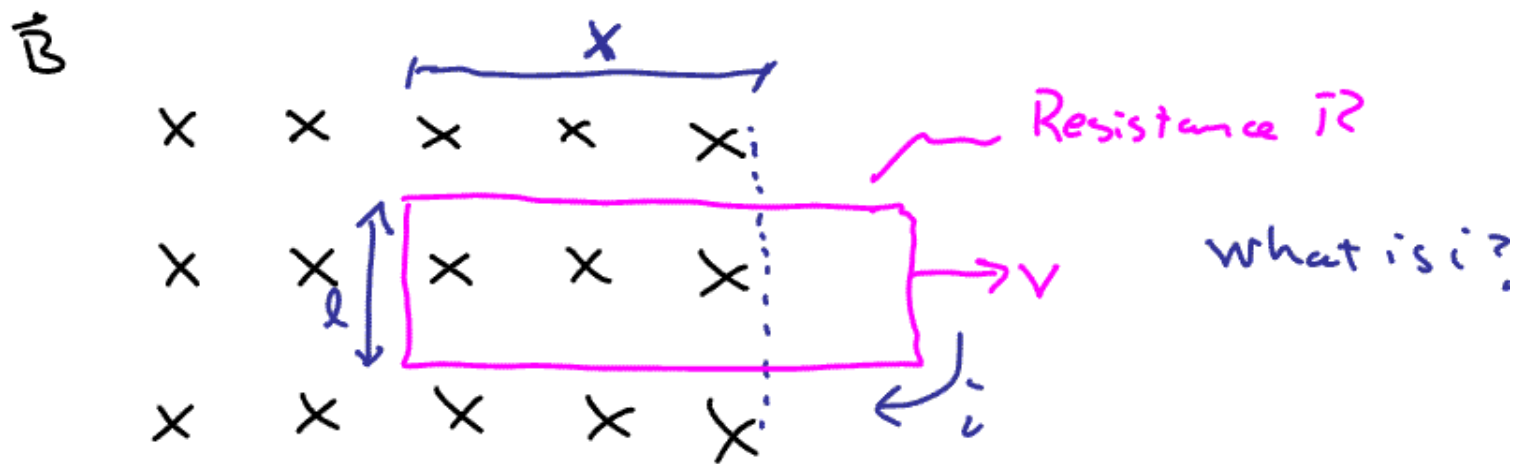
Faraday's Law

True in wires

materials

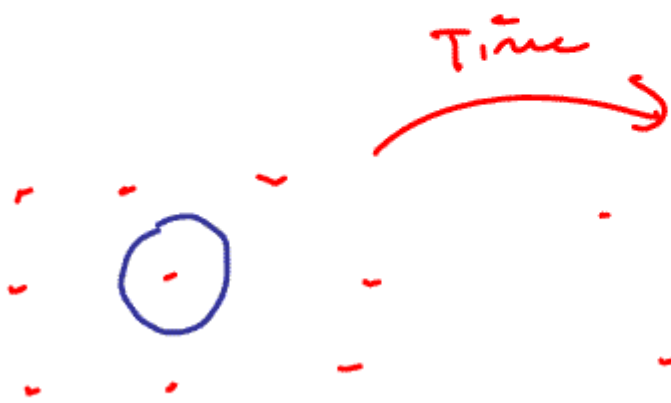
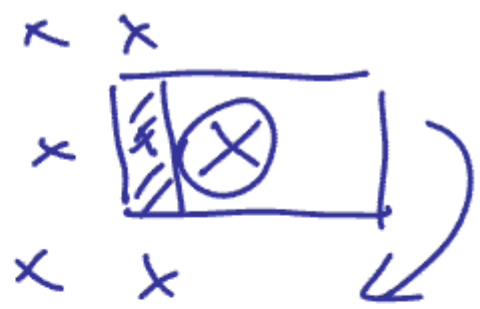
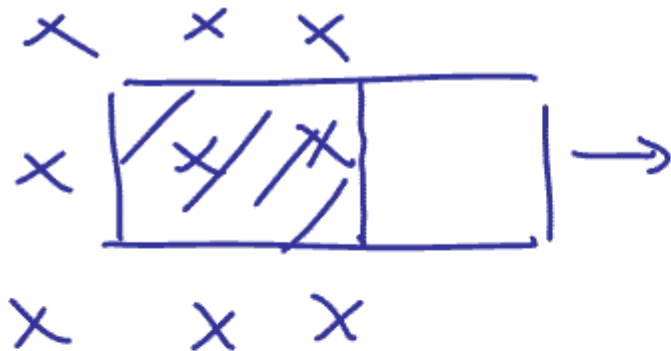
Free space

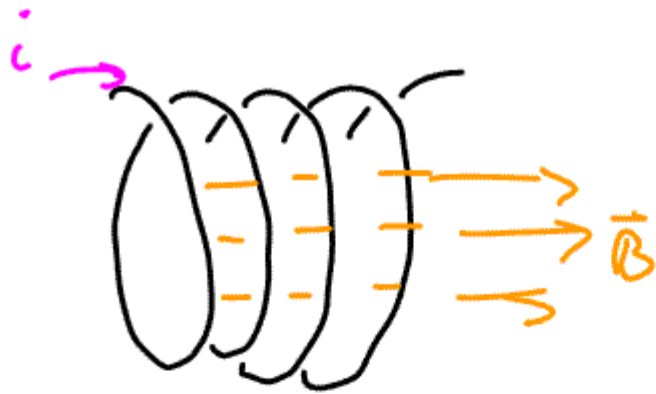
Lenz's Law - The induced current opposes the change that produced it.



$$\mathcal{E} = -\frac{d\Phi_M}{dt} = -\frac{d(Blx)}{dt} = -Bl\frac{dx}{dt} = -Blv$$

$$i = \frac{\mathcal{E}}{R} = Blv/R$$





$$|\vec{B}| = \mu_0 n i$$

Turns
Length

Single loop

$$\Phi_m = B A$$

↑
x sect. area

$$\Phi_m = (\mu_0 n i) A \quad \Phi_m \propto i$$

prop. constant depends on geometry

length l of solenoid
loops = $n l$

$$\begin{aligned}\Phi_M &= (\mu_0 n i A) n l \\ \text{length } l & \\ &= [\mu_0 n^2 A l] i \\ & \quad \uparrow \\ & \quad \text{geometry}\end{aligned}$$

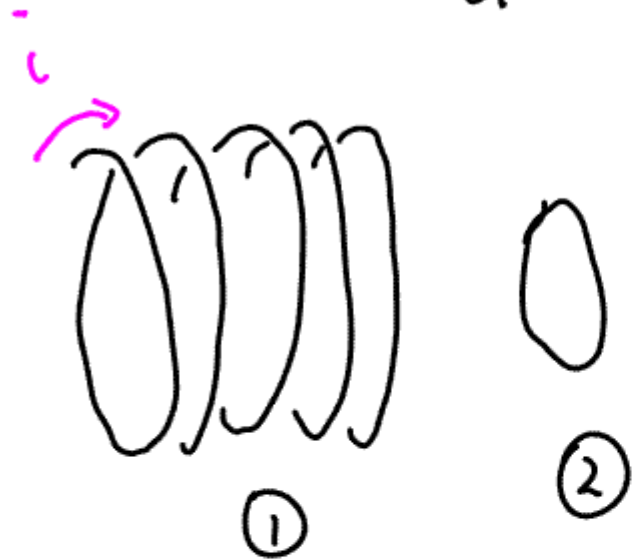
$$\Phi_M = L i$$

const of prop

\equiv const of self inductance

$$\Delta i \rightarrow \frac{di}{dt} \rightarrow \frac{d\Phi_M}{dt} \rightarrow \mathcal{E}$$

$$\mathcal{E} = -\frac{d\Phi_M}{dt} = -L \frac{di}{dt}$$



Δi in ①

ΔB in ②

induces \mathcal{E} in ②

$$\Phi_{(2)} \propto i_{(1)}$$

$$\Phi_{(2)} = L i_{(1)}$$

\equiv const of Mutual inductance

$$\mathcal{E}_2 = -L \frac{di_1}{dt}$$