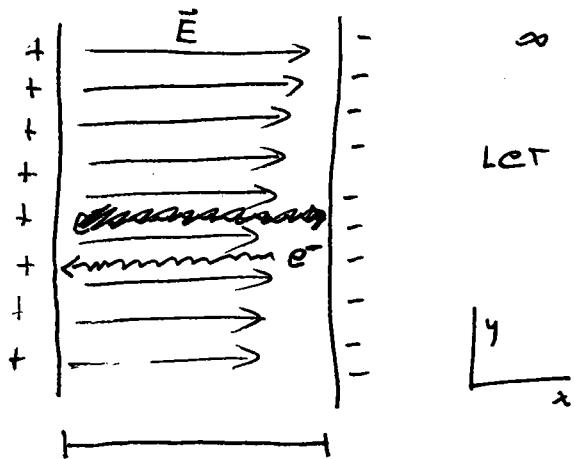


⇒ You ever heard of the electronvolt... chemical ionization energies etc.

The eV = electron-Volt unit of energy



$$\Delta V = 1 \text{ volt} = 1 \text{ Joule/coulomb}$$

$\infty$  parallel planes

Let  $e^-$  go from rest from  $\odot$  side

$$F = q \vec{E} \Rightarrow \text{is Accel. constant?}$$

$F$  constant

$$F = m\ddot{a}$$

$\therefore$  constant  
Acceleration  
Problem

All kinematic eqns valid for Constant Acceleration hold True  
for example ....

1d Motion w/ Const. Acceleration

$$\hookrightarrow v_x = v_{x_0} + a_x t$$

$$x = x_0 + \frac{1}{2} (v_{x_0} + v_x) / t$$

$$x = x_0 + v_{x_0} t + \frac{1}{2} a_x t^2$$

$$v_x^2 = v_{x_0}^2 + 2 a_x (x - x_0)$$

remember this?

We say ... "The  $e^-$  is accelerated through a potential difference of 1 Volt"

When  $e^-$  has reached other side PE changed to KE

$$V = \frac{\Delta W}{q} \times q_{e^-} \approx \Delta W = K.Energy = 1 \text{ volt} \times 1e^- = 1 \text{ electron-Volt}$$

Better for charged particles  
in small #'s

$$= 1.6 \times 10^{-19} \text{ joule}$$

# P1161 Telegram

Calculate  $\vec{E}$

- ① use Coulomb's law

$$\vec{E} = \int \frac{k dq}{r^2} \hat{r}$$

- ② use Gauss's law

$$\int \vec{E} \cdot d\vec{A} = \frac{Q_{\text{enc}}}{\epsilon_0}$$

- ③ Calculate Potential

one way  $\int \frac{k dq}{r} \hat{r} = V$

and

$$\vec{E} = -\nabla V \quad \rightarrow \quad E_x = -\frac{\partial V}{\partial x}$$

etc.

Calculate potential

- ① use calculation from charge dist

$$\int \frac{k dq}{r} \hat{r} = V$$

- ② use  $\vec{E}$

$$dV = -\vec{E} \cdot d\vec{s}$$

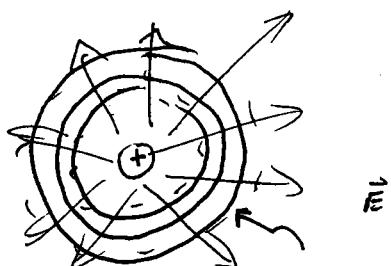
and integrate

- ③ other ways we will NOT do

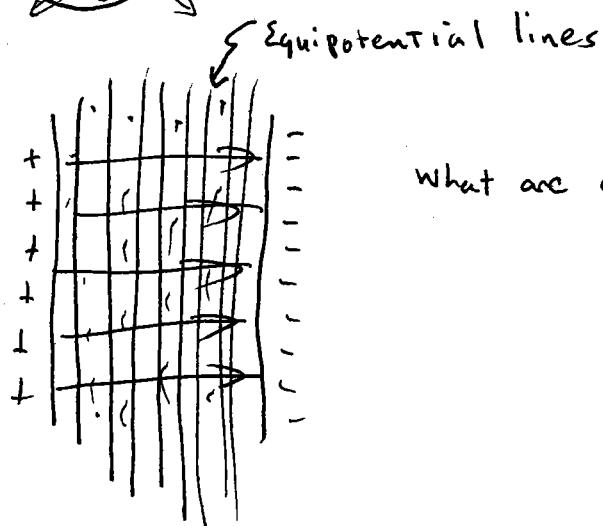
13-742  
500 SHEETS FILLER 5 SQUARE  
42-381 50 SHEETS ERASER 5 SQUARE  
42-382 100 SHEETS ERASER 5 SQUARE  
42-389 200 SHEETS ERASER 5 SQUARE  
42-392 100 RECYCLED WHITE 5 SQUARE  
42-394 200 RECYCLED WHITE 5 SQUARE  
Habenig S.A.



$\therefore \vec{E}$  is  $\perp$  to equipotential surfaces at all points



What are equipotential surfaces for point charge



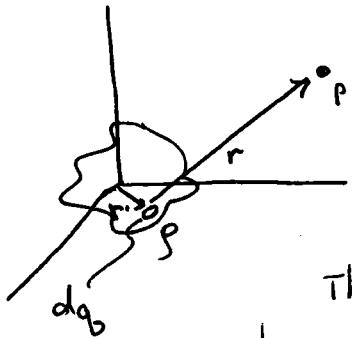
What are equipotential surfaces for  
 $\infty$  plane, // plates ?  
charged

So

$V$  can be used to get  $\vec{E}$

$V$  is a scalar

$$V_p = \int \frac{k dq}{r} \quad \text{Volume}$$



$\uparrow \vec{E}$  sometimes hard to calculate

$V$  sometimes easier

Then get  $\vec{E}$

There are some special techniques  
beyond the scope of this course  
for calculating  $V$ .

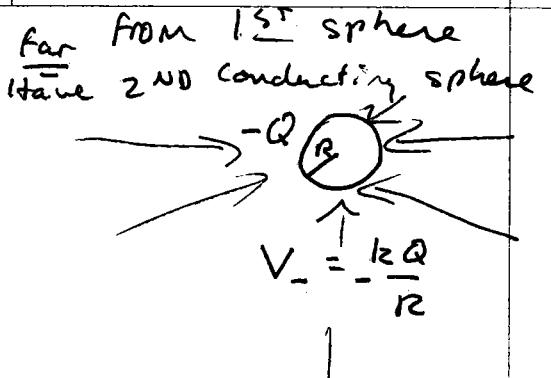
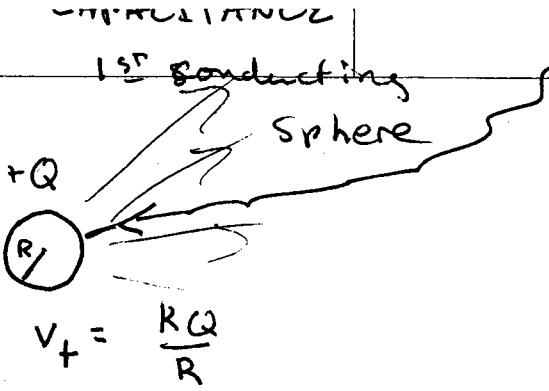


Figure out the potential of a charge on sphere w/  $\infty$  as "zero" of potential

Conducting sphere ....  $\Rightarrow$  all at same potential

$$\Delta V_{+-} = V_+ - V_- = \frac{2kQ}{R}$$

Capacitance of 2 sphere system

$$C = \frac{Q}{V_{+-}}$$

$$Q = C V_+$$

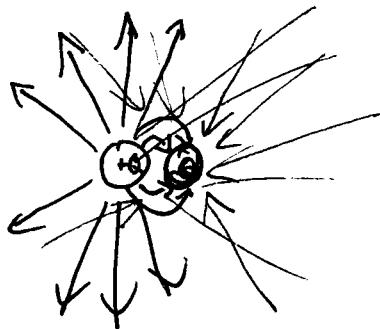
$$Q/V_+ = C_+$$

$$V_+ \propto Q$$

$$V_- \propto Q \rightarrow Q = C_- V_-$$

$C$  = capacitance

Now move two spheres close to each other



Use two transparencies

To show lines of force  $\sim$  cancelling out

but of course get dipole field  
Lines of force do NOT cross

$$V_+ \rightarrow V'_+ \quad V'_+ < V_+ \text{ and } V'_+ > 0$$

$$V_- \rightarrow V'_- \quad V'_- > V_- \text{ and } V'_- < 0$$

Now  $\Delta V_{+-}$  is Reduced,  $Q$  has NOT changed

$$C = \frac{Q}{V_{+-}} \sim \text{defined this way}$$

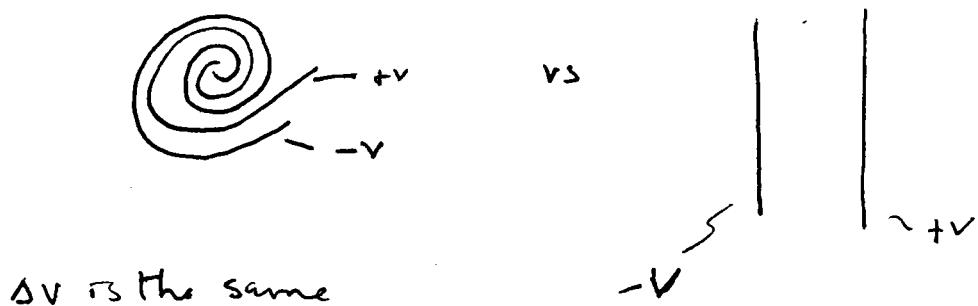
Capacitance has gotten much larger

Capacitance is the amount of charge held in a system  
 $\div$  by the potential ~~off~~<sup>the</sup> difference between <sup>the</sup> parts  
 of the system — or if system is one conductor —  
 The other "part" of the system is at  $\infty$  w/ "zero" potential

$$C = \frac{q}{\Delta V} \text{ in coul/volt} \approx 1 \text{ farad}$$

in honor of Michael Faraday

Capacitance depends only on geometry  
 (sizes, shapes, separations of conductors)



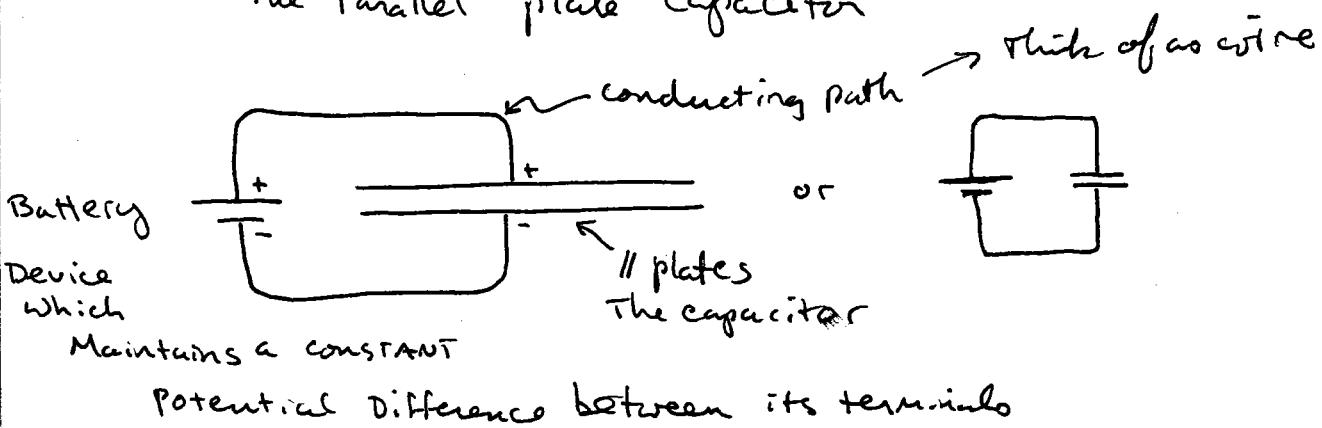
which would hold more charge? i.e., have higher  
 capacitance?

### Capacitors

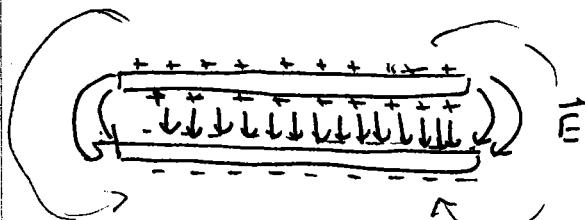
act as reservoirs of charge in electric circuits  
 implications of this to be covered later  
 can be used to store energy — which can be released  
 very quickly

The most common capacitor for us is

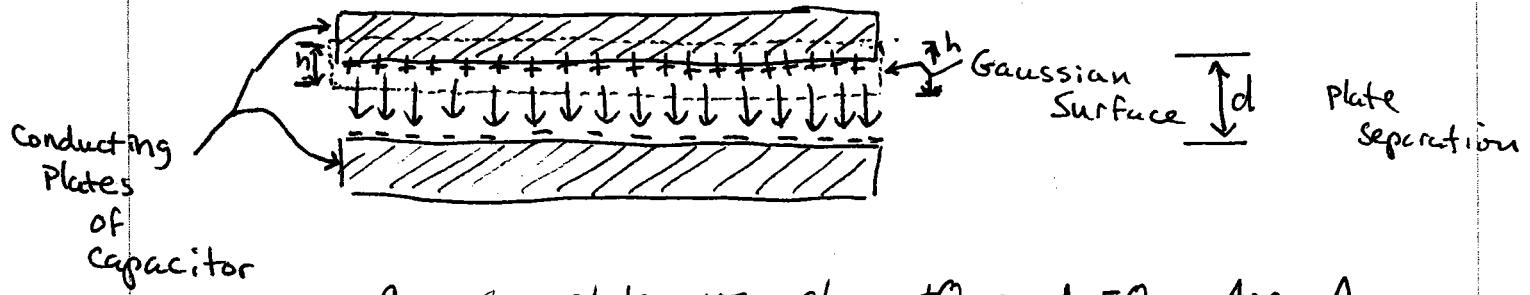
The Parallel plate capacitor



Your first circuit diagram!



we will neglect edge effects



Capacitor plates w/ charge  $+Q$  and  $-Q$ , Area A, Separation d

Gauss's Law

$$\int_{\text{Surf}} \vec{E} \cdot d\vec{A} = \frac{Q_{\text{enc}}}{\epsilon_0}$$

in integral  
only the surface between the plates gets a contribution

because either  $\vec{E} = 0$   
or  $\vec{E} \cdot d\vec{A} = 0$

so

$$|\vec{E}|A = \frac{Q}{\epsilon_0} \Rightarrow Q = \epsilon_0 |\vec{E}|A$$

The work to carry a charge  $q_0$  from one plate to the other  
 is  $Vq_0$  or  $\underbrace{q_0 \vec{E} \cdot d}_{\int q_0 \vec{F} \cdot d\vec{s}}$

$$V = \vec{E} \cdot d$$

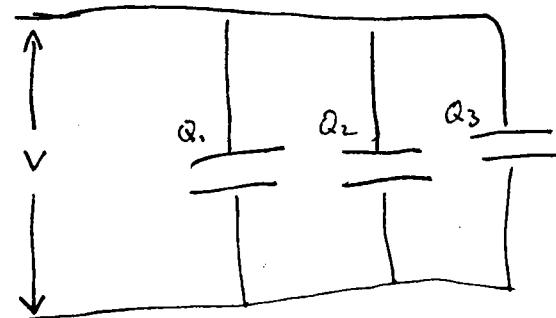
$$\text{Now } C = \frac{Q}{V} = \frac{\epsilon_0 \vec{E} \cdot A}{\vec{E} \cdot d} = \frac{\epsilon_0 A}{d}$$

Depends only on geometry ... As promised !!

### combinations of Capacitors



in Parallel //



$$\text{TOTAL } Q = Q_1 + Q_2 + Q_3$$

$$\text{but } Q_1 = C_1 V$$

$$Q_2 = C_2 V$$

$$Q_3 = C_3 V$$

$$Q_{\text{TOTAL}} = V(C_1 + C_2 + C_3)$$

$$C_{\text{cap in //}} = C_1 + C_2 + C_3$$