

Physics 113 - Sept. 14, 2006

1-d Motion, vectors \rightarrow multidimensional motion

organizational crap -

Workshop Room changes

Last time -

Always True

$$x - x_0 = \int_{t_0}^t v dt$$

$$v - v_0 = \int_{t_0}^t a dt$$

is F CONSTANT? $F=ma$

Assumes $a = \text{CONSTANT}$
this form also Assumes $t_0 = 0$

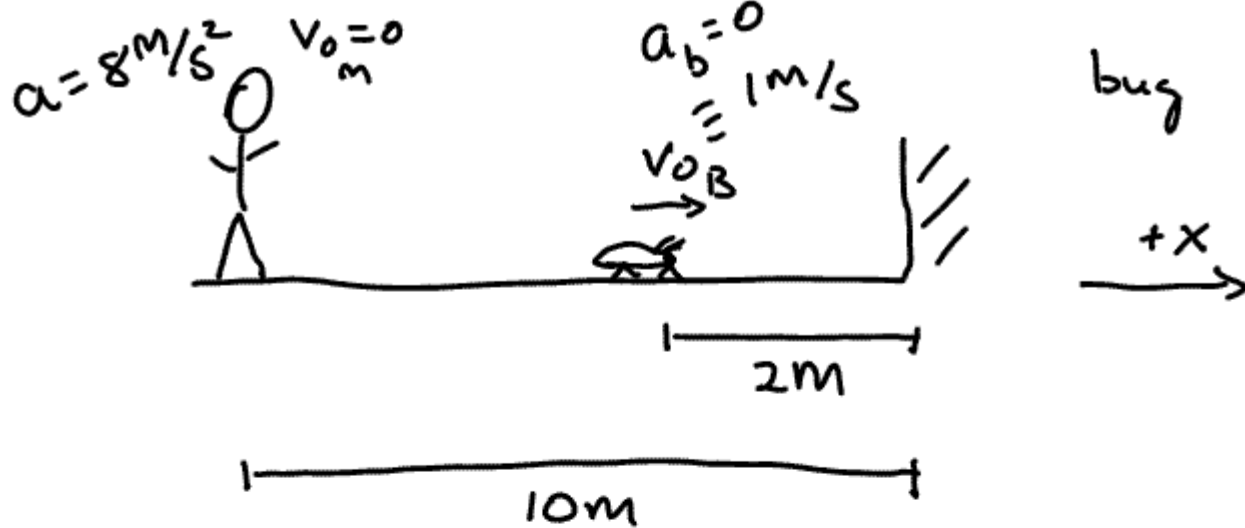
$$v = v_0 + at$$

$$x = x_0 + v_0 t + \frac{1}{2} at^2$$

Constant Acceleration Equations

$$x = x_0 + \left(\frac{v + v_0}{2}\right) t$$

$$v^2 = v_0^2 + 2a(x - x_0)$$



Bug to wall time

$$x = x_0 + v_0 t + \frac{1}{2} a t^2$$

$x_{0B} = 0$

$$x = v_0 t \quad 2 \text{ m} = 1 \text{ m/s} t$$

$$t = 2 \text{ s}$$

person to wall time

$$x = x_0 + v_0 t + \frac{1}{2} a t^2$$

$$x_{0M} = 0$$

$$x_m = \frac{1}{2} g_m t_m^2$$

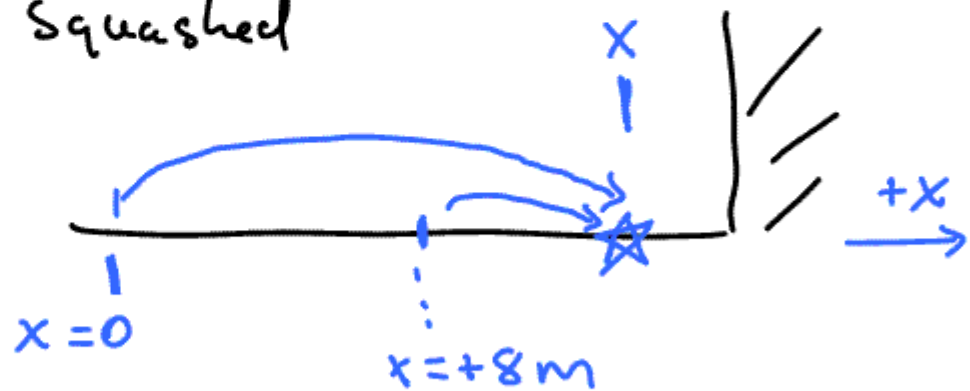
$$10 \text{ m} = \frac{1}{2} (8 \text{ m/s}^2) t_m^2$$

$$t_m = 1.6 \text{ s}$$



where to put wreath?

↳ is bag squashed



Person

$$x = x_0 + v_0 t + \frac{1}{2} a t^2$$

$$x_m = \frac{8}{2} t_m^2 \quad \checkmark$$

where person is along floor (t)

Bug

$$x_B = x_{0B} + v_{0B} t_B + \frac{1}{2} a t_B^2$$

$+8$ 1 m/s 0

$$x_B = 8 + t_B \quad \checkmark$$

where bug is along floor (t)

Bug Squashed $\rightarrow x_m = x_B = x$

$$t_m = t_B = t$$

$$\frac{8}{2} t^2 = 8 + t \quad \leadsto \quad a t^2 - \frac{2}{8} t - 2 = 0$$

$$t = \frac{-b \pm \sqrt{b^2 - 4ac}}{2a} = \frac{+\frac{2}{8} \pm \sqrt{\left(\frac{2}{8}\right)^2 + 4(1)(2)}}{2}$$

$$\boxed{t = 1.54 \text{ s}} \quad \text{or} \quad t = -1.3 \text{ s}$$

$$x = 8 + t = 9.54 \text{ m}$$

Numbers

height

temperature

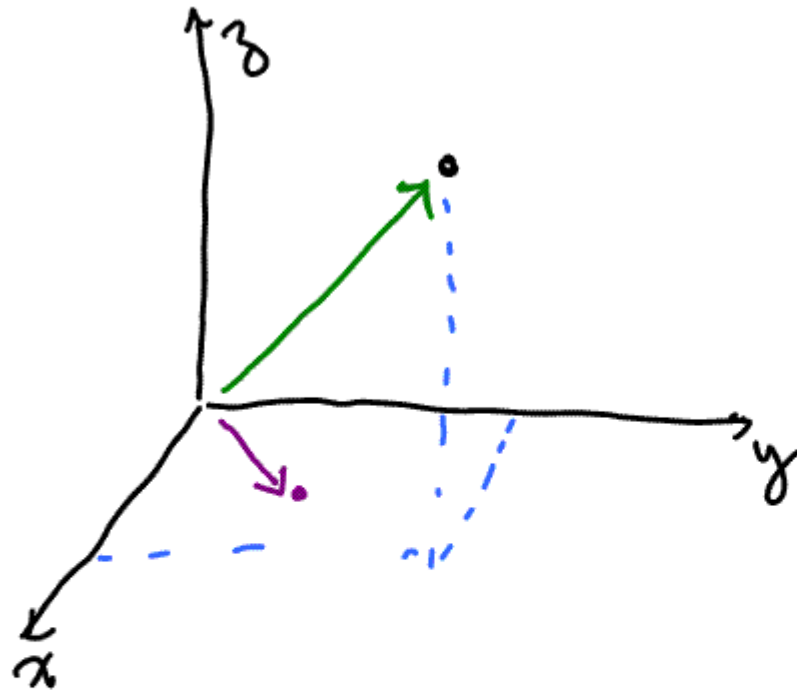
Scalar

Scalar

1-d Motion

(sign) (scalar)

multidimensional motion



$\Rightarrow 3 \text{ #'s}$

Vectors \rightarrow 3 # quantity
has magnitude
and
direction

$$\nearrow \equiv \vec{A} \text{ or } (x, y, z)$$

$$\swarrow \equiv -\vec{A} \quad \text{same magnitude} \\ \text{opposite direction}$$

$$\begin{array}{l} \text{Length of vector} \\ \text{Magnitude} \end{array} \equiv |\vec{A}| \equiv \#$$

vector addition graphical

$$\vec{A} + \vec{B} = \text{sum}$$

$(\vec{A} + \vec{B}) = \vec{C}$

Also known as the resultant