

Physics 100 - October 3, 2007

EXAM 1 - Oct 10 during class time slot

~~_____~~
~~_____~~

- Bring calculator
(capable of Scientific Notation)

- Index card

- Formula Sheet

- Previous exams on web

- Q + A session

Material coverage thru

~~_____~~

- Electromagnetic Waves / Waves

- Readings thru Sept 26 on Syllabus

- Lectures Thru Sept 26 (minus Planck at end)

- Prob Sets 1 Thru 4

- Recitations 1 Thru 3

LAST TIME

Do ripple
TANK
Applet

Maxwell's equations
interference
diffraction
Refraction
dispersion
⋮

light is
a wave!

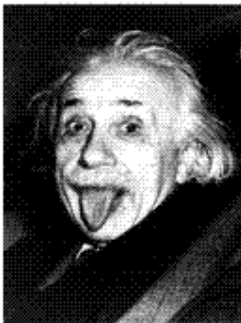


Planck

Blackbody
Radiation

light comes in
little packets
with
energy

$$E = h\nu$$



Einstein

Photoelectric
effect

light is a
particle!

Wave-Particle Duality

AS STRANGE AS IT SEEMS ...

light has both wave and particle properties



wave

$$v = f\lambda$$

particle

$$E = hf$$

The "packet" w/ energy
called the "photon"

↑ Gilbert Lewis, 1926



Light is a wave

$$v = \lambda \nu$$

And

a particle

$$E = h\nu$$

Einstein
Planck

Particles (like electrons)



are

particles And waves

$$\lambda = \frac{h}{p}$$

de Broglie

$$p = mv$$

$$h = 6.67 \times 10^{-34} \text{ J}\cdot\text{s} \Rightarrow \text{very small}$$

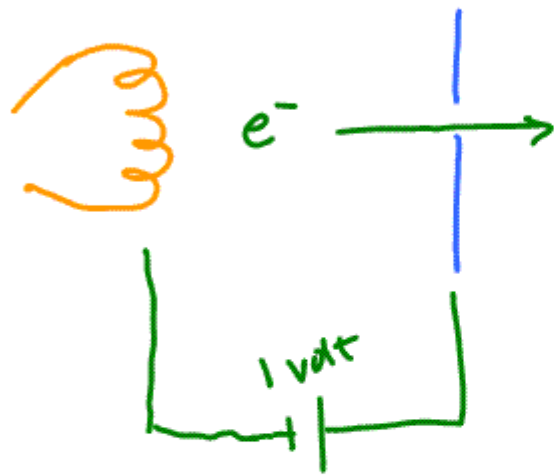
So p must be very small for λ
to be large

impt for small particles moving slow



particle energy often Meas. in eV

$$1 \text{ eV} = 1.6 \times 10^{-19} \text{ Joules}$$



1eV electron beam

keV
MeV
GeV
TeV

⋮

$$\text{mass} = \frac{\text{eV}}{c^2}$$

$$E = mc^2$$

$$\frac{E}{c^2} = M$$

mass of electron = $9.11 \times 10^{-31} \text{ kg} = 0.511 \text{ MeV}/c^2$

Sometimes people forget the "c²" here →

$$\lambda = \frac{h}{p}$$

λ of baseball at 92 mph
↑
mass ~ 142 g ↑
41 m/s

$$p \text{ of Baseball} = Mv = (.142 \text{ kg})(41 \text{ m/s})$$

$$p = 5.7 \text{ kg m/s}$$

$$\lambda = \frac{6.6 \times 10^{-34} \text{ J}\cdot\text{s}}{5.7 \text{ kg m/s}} = 1 \times 10^{-34} \text{ m}$$

1 eV electron

$$\hookrightarrow \text{Energy} = 1.6 \times 10^{-19} \text{ Joules} = \frac{1}{2} m v^2$$

$$v = 596 \text{ m/s}$$

$$p = m v = (9 \times 10^{-31} \text{ kg}) (596 \text{ m/s}) = 5 \times 10^{-28} \text{ kg m/s}$$

$$\lambda_{e^-} = \frac{6.6 \times 10^{-34} \text{ J}\cdot\text{s}}{5 \times 10^{-28}} = 1.3 \times 10^{-6} \text{ m}$$

$$\sim 1 \mu\text{m}$$



Niels Bohr

(1885-1962) (Denmark)

1922 Nobel Prize in Physics

Atomic (planetary) model with fixed orbits

nicely motivated by de Broglie's matter waves in 1924

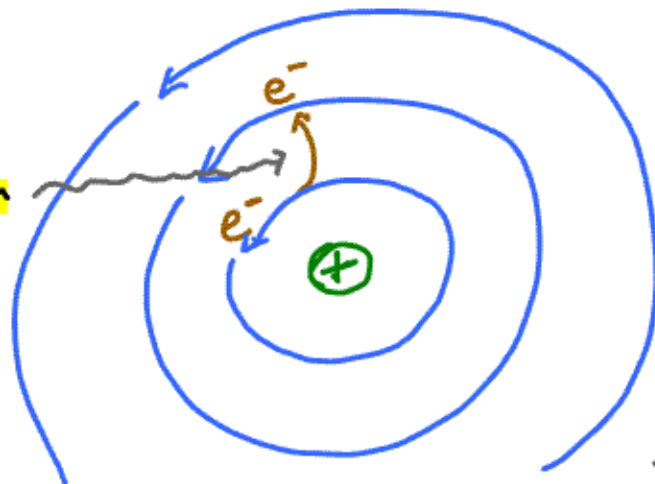


Bohr Model of Atom (1912)

- Positive nucleus (nuclear)
- e^- orbit nucleus in circles
- nucleus does not move
- e^- only occupies certain discrete orbits
↑ known as quantization

■ Coulomb force holds e^- in orbit

Absorb γ -
(photon)
 e^- makes transition
from low energy
orbit to high
energy orbit



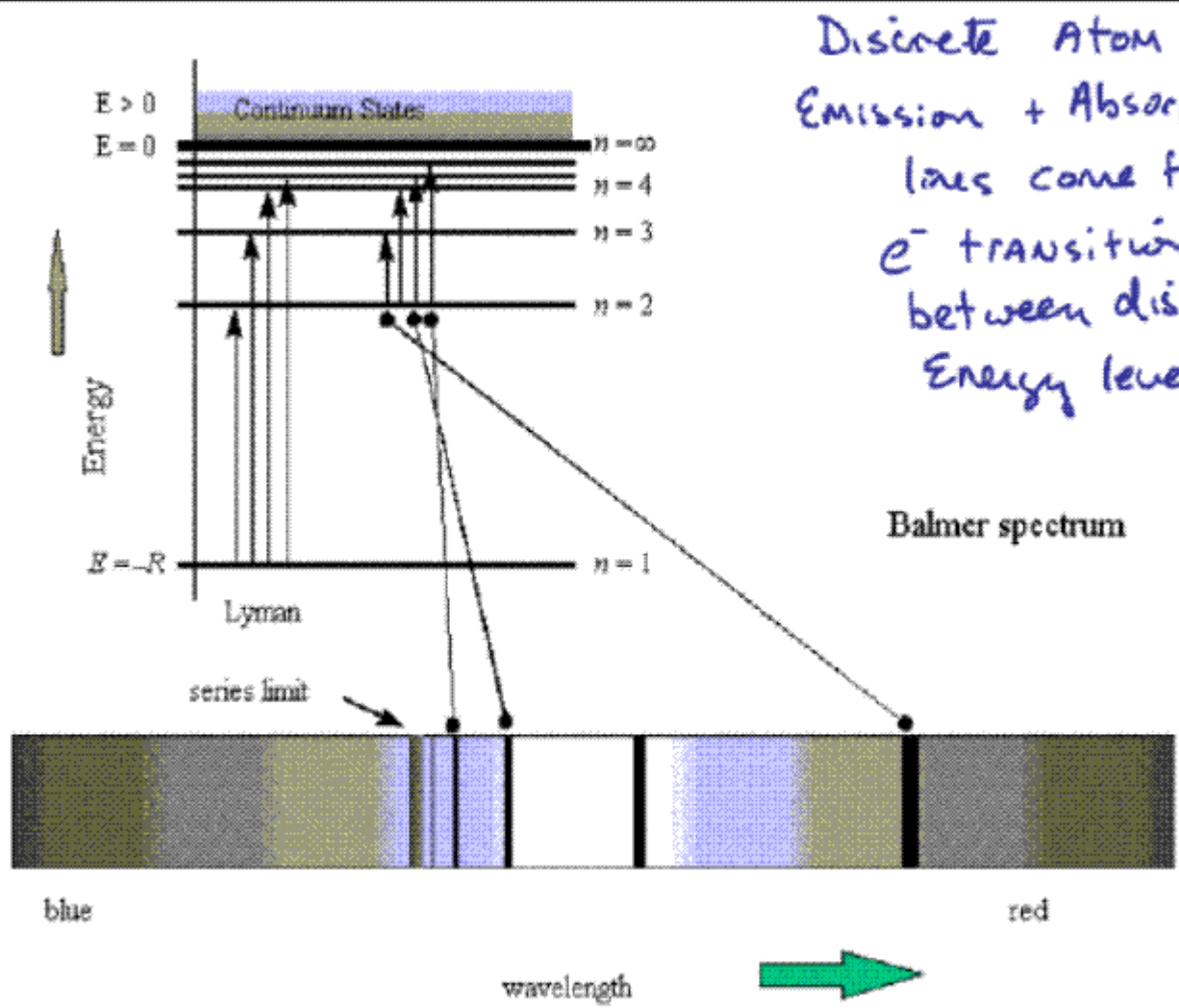
← possible
orbits
for
electron

Transition from high energy
orbit to low energy orbit
→ emission of photon



(Neon gas for example)

* Do Bohr Model Applet (see links page on website)



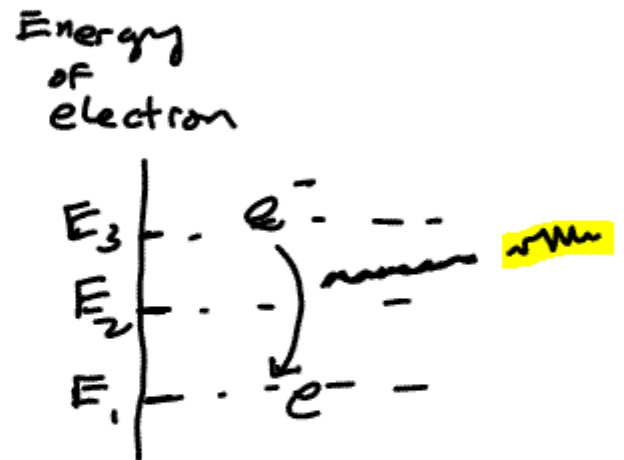
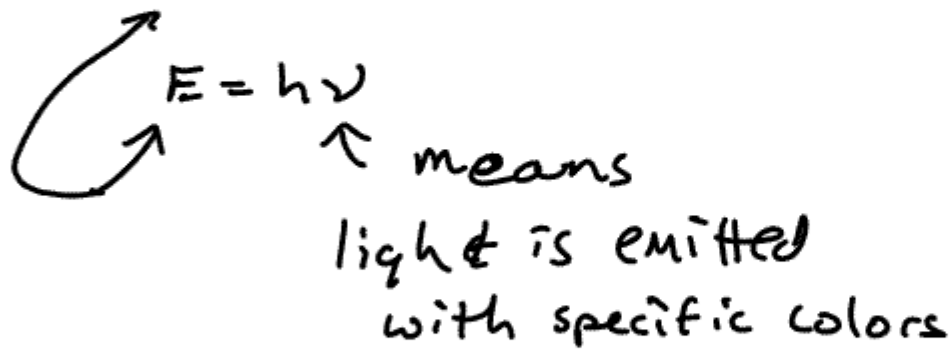
Discrete Atom
Emission + Absorption
lines come from
 e^- transitions
between discrete
Energy levels

Figure from

http://www.uclan.ac.uk/facs/science/phvsastr/x99/PAM98/UCert/Ch06/6_6ato-1.htm

- Bohr model of atom worked well in describing the discrete spectra observed coming from atoms.
- In this model photons are only absorbed/emitted as electron makes transitions between specific allowed energy states.

So photons have fixed energies

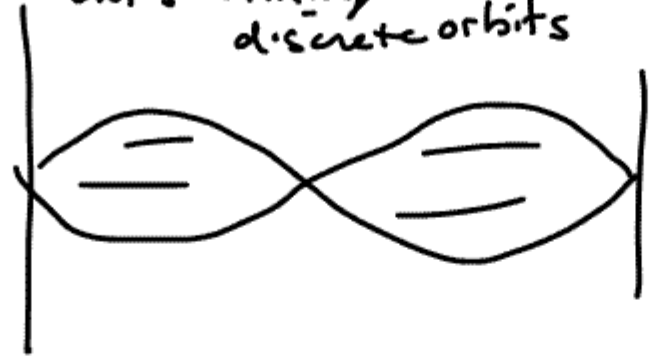


- Bohr model orbits are stable ... not easily understandable with classical physics
 NOT motivated by Bohr ... just put in ad hoc to get discrete spectra

Next step: development of true wave equation / solution for matter

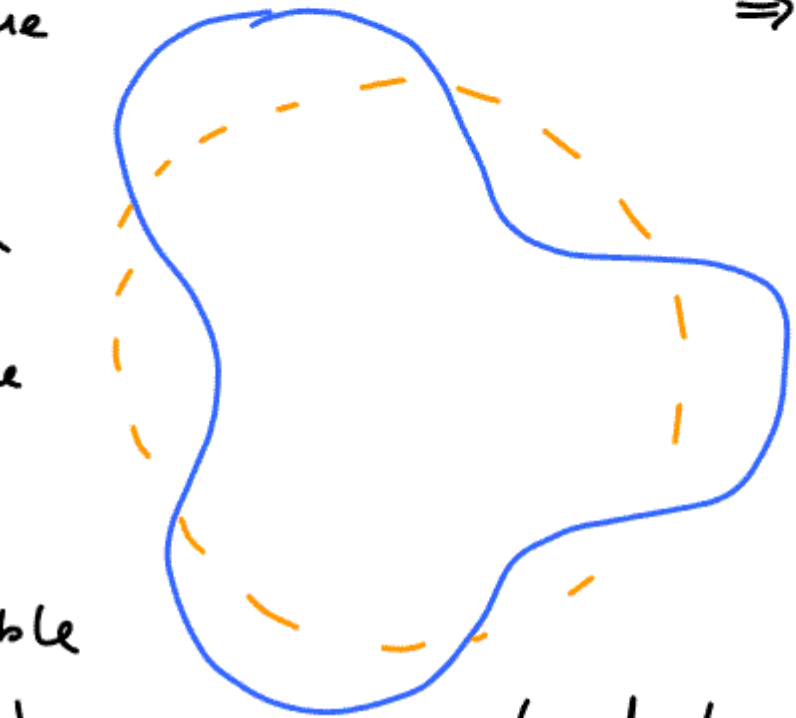
de Broglie Matter wave idea

Motivates Bohr's STRANGE discrete orbits



Recall demo of "STANDING waves" on a string
waves travelling \rightarrow interfere w/ reflected waves travelling \leftarrow to create resonance
 \Rightarrow only for specific wavelengths or frequencies

Only orbits where wavelength of electron is correct length to form STANDING wave around the circle of orbit are STABLE



leads to discrete stable orbits

Werner Karl Heisenberg
(1901 - 1976)

Nobel Prize in physics - 1932
for "the creation of quantum
Mechanics"

(Max Born, Pascual Jordan - co-workers)



Erwin Rudolf Josef Alexander Schrödinger
(1887 - 1961) Austria

1933 Nobel Prize in physics

1926 - Paper on wave Mechanics of Matter
Annalen der Physik

"for discovery of new and productive forms of
atomic theory"

$$-\frac{\hbar^2}{2m} \frac{d^2 \psi(x)}{dx^2} + V \psi(x) = E \psi(x) \quad \text{Schrödinger's Equation}$$

Just so
you've seen
it